A Low-Cost Surface Mount PIN Diode $\pi$ Attenuator

Application Note 1048

Introduction
Analog attenuators find wide application in RF and microwave networks. Realized as either GaAs MMICs or PIN diode networks, these circuits are used to set the power level of an RF signal from a voltage control. In commercial applications, such as cellular telephone, PCN (Personal Communication Networks), wireless LANs (Local Area Networks) and portable radios, cost is a significant consideration in the design of such attenuators. This paper describes a low cost wideband PIN diode $\pi$ (Pi) attenuator which utilizes plastic packaged surface mounted devices.

Background
The basic $\pi$ fixed attenuator is shown, along with its design equations, in Figure 1. Shunt resistors $R_1$ and the series resistor $R_3$ are set to achieve some desired value of attenuation $A = 20 \log(K)$ while simultaneously providing an input and output impedance which matches the characteristic impedance of the system.

When operated at frequencies well above its cutoff frequency $f_c$ (see Appendix A), the PIN diode can be used as a current controlled variable resistor. Three diodes can be used to replace the fixed resistors of the $\pi$ circuit to create a variable attenuator, and such circuits have been described in the literature. For example, a three diode $\pi$ attenuator\(^1\) is shown in Figure 2 which provides good performance over the frequency range of 10 MHz to over 500 MHz. However, the use of three diodes as the three variable resistors in a $\pi$ attenuator leads to asymmetry in the network, which results in a rather complicated bias network.

\(^1\)“The PIN Diode,” from the Hewlett-Packard RF and Microwave Applications Seminar, 1973.
Four Diode $\pi$ Attenuator

If resistor $R_3$ is replaced by two diodes, as shown in Figure 3, several benefits result. First, since the maximum isolation of the network is set by the capacitive reactance of the series diode(s), the use of two diodes in place of one will increase the maximum attenuation or double the upper frequency limit for a given value of attenuation. Second, the twin diodes which occupy the position of the series resistor are physically set up 180° out of phase, resulting in the cancellation of even order distortion products. Third, the resulting attenuator network is symmetrical and the bias network is substantially simplified. $V_+$ is a fixed voltage, and $V_C$ is the variable voltage which controls the attenuation of the network. The only drawback to using two series diodes in place of one is the slight increase in insertion loss, amounting to less than 0.5 dB additional loss. $R_1$ and $R_2$ serve as bias returns for series diodes $D_2$ and $D_3$; they must be set high enough to minimize insertion loss; however, if they are set too high, an excessively large control voltage $V_C$ will result. If the designer does not require very large bandwidth, some savings in insertion loss can be achieved by adding chokes between $R_1$ and $R_2$ and the RF line, using these inductors to decouple the resistors from the RF portion of the network. $R_3$ and $R_4$ are chosen to match the characteristics of the specific PIN diodes used; properly selected, they will provide for the correct split of bias current between series and shunt diodes required to maintain good impedance match over the entire dynamic range of attenuation.

The HP HSMP-3810 series of surface mount PIN diodes features good distortion performance, low cutoff frequency and low price. To save cost and space on the board, two HSMP-3814 common-cathode pairs were chosen over four individual HSMP-3810 diodes. Having chosen these diodes, and selecting $V_+ = 5$ V and $0 \leq V_C \leq 15$ V, the values of $R_1$ through $R_4$ were empirically determined. Values for all components used in the tested circuit are shown in Figure 3.

The attenuator was laid out on a 2 inch square of 0.032" thick HT-2 PC board, as shown in Figure 5. This material, a high performance alternative to conventional FR4, is described in detail in Appendix B. Using chip resistors and capacitors, the entire attenuator occupies a 0.5 in$^2$ space as shown in Figure 5.

Test Results

In Figure 6, the measured attenuation vs. frequency is given for several values of control voltage. Good performance is obtained over the frequency range of 300 KHz to 3 GHz. Figure 7 contains the plot of return loss vs. frequency at the maximum and minimum values of $V_C$. For all other values, the return loss is negligible.

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loss was higher; the data for \( V_C = 0 \) represents the worst case. In Figure 8, a plot is given for attenuation vs. control voltage at a number of frequencies. Finally, the intermodulation distortion performance of the attenuator is plotted in Figure 9. The data are given as intercept points; for a detailed explanation of intercept points, see Appendix C.

**Conclusion**
As can be seen from these data, the four diode π attenuator provides very good match and very flat attenuation over an extremely wide band. Using surface mount devices, it has the additional benefit of being low cost. Realized as a thin-film or thick-film hybrid circuit with chip PIN diodes, it would fit within a TO-8 can.
Figure 5. Detail of Circuit Layout.

Figure 6. Attenuation vs. Frequency.

Figure 7. Return Loss vs. Frequency.

Figure 8. Attenuation vs. Control Voltage.
Appendix A - PIN Diode Cutoff Frequency
The PIN diode is generally considered to be a current controlled RF resistor. However, this model is accurate only at frequencies well above the diode’s cutoff frequency, \( f_c = \frac{1}{2\pi \tau} \), where \( \tau \) is the minority carrier lifetime of the device. At frequencies 10 times \( f_c \), a PIN diode can accurately be modelled as a current controlled resistance in parallel with a small (and constant) junction capacitance (neglecting package parasitics). At frequencies under 0.1 \( f_c \), the PIN diode behaves as an ordinary PN junction diode. For \( 0.1 f_c \leq \text{frequencies} \leq 10 f_c \), the characteristics of the PIN diode become very complex; it will generally behave as a frequency-dependent resistance shunted by a very large frequency and current dependent inductance or capacitance. Additionally, distortion performance will usually be very poor when operating in this frequency range. For the HSMP-3810 series of diodes, \( \tau \equiv 1500 \text{nsec} \), resulting in a cutoff frequency of 100 kHz. This diode should therefore provide frequency-independent values of pure resistance at frequencies above 1 MHz. However, because this diode has been optimized for wideband attenuator applications, its characteristics remain generally well behaved down to frequencies below \( f_c \), as can be seen from the 300 kHz measured data shown in Figure 6.

Appendix B - Board Material
Several printed circuit board materials are in common use for RF circuits such as this one. Two of the most popular are FR4 and fiberglass reinforced PTFE (Teflon®). The former provides good mechanical stability and durability at low cost. However, it suffers from high losses and a dielectric constant which is poorly controlled and strongly frequency-dependent. The latter exhibits very good RF properties, but is expensive, suffers from poor mechanical stability, and cannot survive certain SMT (Surface Mount Technology) processing steps. Hewlett-Packard’s new HT-2 board material provides durability and high temperature performance which are actually superior to FR4 with a controlled dielectric constant (\( \varepsilon_r \equiv 4.3 \)) and a loss tangent which is half that of FR4. These properties make it ideal for microstrip circuits operating beyond 6 GHz.

At the time of this printing, HT-2 is available through Dan Schutte of International Circuits, 1319 South Arkle Street, Visalia, CA.

Appendix C - The Intercept Point
Of the several types of distortion products, one of the most troublesome is intermodulation distortion. Unlike harmonic distortion, this is a multi-tone product resulting when two or more signals of equal (or unequal) amplitude mix in a non-linear device such as a PIN diode. The frequency of the resulting unwanted signal is related to those of the original input voltages. In certain industries, the number of input signals may exceed 10, and both test and analysis become very complex. To keep matters as simple as possible, many semiconductor manufacturers make two-tone measurements using two voltages which are equal in amplitude and closely spaced in frequency. Given two such input signals at frequencies \( f_1 \) and \( f_2 \), one can compute several significant intermodulation distortion products from the equation

\[
Kf_1 \pm Mf_2
\]

where \( K, M = 1, 2, 3, \ldots \).

The order of the distortion product is given by the sum \( N = K + M \).

Of the infinite number of distortion products described by this equation, one is of special significance. The third order products given in Figure 1 are important because they exist on either side of the original signals \( f_1 \) and \( f_2 \) and cannot be removed by filtering.

The behavior of all types of distortion products is shown on Figure 10. As can be seen, an increase of 1 dBm in the applied signal’s power will result in a 2 dBm increase in the second order products and a 3 dBm increase in the third order products. Since the level of measured distortion is dependent upon the level of the input signal, it is convenient to specify distortion in

![Figure 9. Measured Distortion Performance.](image-url)
terms of a fictitious constant, the intercept point. This is the point at which the extrapolated fundamental signal and the extrapolated distortion product meet. In making distortion measurements, it is most convenient to measure the input power of the signal(s) applied to the DUT (Device Under Test) and the output power of the distortion products. For this reason, and because the input intercept point varies less with attenuation, the input intercept point is the one most often calculated and specified. Using it, we can neatly specify the performance for a given type of distortion using a single number.

The equation for input intercept point is

\[ IP_{\text{in}} = \frac{N(P_{\text{in}} - \alpha) - P_{\text{dist}}}{N - 1} + \alpha, \text{dBm} \]

where \( N = \text{order of distortion product} \), and all power levels are specified in dBm.

Figure 10. Behavior of Distortion Products.